

1)

- a) $V: \emptyset$ e ϵ são expressões regulares primitivos, ou seja, representam vazio.
- b) F: $\epsilon \notin \Sigma^+$
- c) V: possui element netro à esquerda e à direita, o qual é palavra vazia. Regra de concatenação.
- d) V: de trás para frente = frente para trás. w^R = seu inverso.
- e) $L(\Sigma) = \{0,1\}$
- f) V: Palíndromo
- g) V: $((01001)^2)^R = 0100101001 \Rightarrow 1011010110 / ((01001)^R)^2 = (10110)^2 = 1011010110$
- h) V: $a^0 b^1 a^2 b^0 = baa$
- i) V: $\{\epsilon, a^*, b^*\}$
- j) F: $ccc \cap ccc = ccc, \epsilon$

2)

- a) Dentro: {abbaab, aaaaaa, baabba, bbbbbb};
Fora: {ababab}
- b) Dentro: { ϵ }
Fora: {ab, ba, ...}
- c) Dentro: {aaa, aba, bbb, bab, ...}
Fora: {aa, ab, ba, bb, aab, baa, abb, ...}
- d) Quando $u=aaa$ e $w=aa$ - Dentro: {aaaaaa}
Quando $u=bbb$ e $w=BB$ – Dentro: {bbbbbb}
Fora: {a, aa, b, ...}

3)

- a) $\{\epsilon, a, b, aa, bb, aaa, aab, \dots\}$ ($aaa..a, aa..b$)
- b) $\{a, BB, aa, bbb, \dots\}$
- c) $\{\epsilon, a, b, aba, bab, ba, ab, \dots\}$
- d) $\{\epsilon, a, b, aba, bab, ba, ab, \dots\}$
- e) $\{\epsilon, a, aa, aaa, ab, ABB, bbb, \dots\}$

4)

- a) 3
- b) 2
- c) 1

5)

- a) $ER = (0+1)^*01$

- b) $ER = (0+1)^* (0+11) + 1$
- c) $ER = (1^*01^*01^*)^* + 1$
- d) $ER = (01+1)^* (0+\epsilon) (10+1)^* + (01+1)^* 00 (1+10)^* + (1+01)^* 00 (1+10)^* 0 (1+10)^*$
- e) $ER = ((0+1)^* 000 (0+1)^* 111(0+1)^*) + ((0+1)^* 111(0+1)^* 000 (0+1)^*)$
- f) $ER = ((01)^*0) + ((10)^*+1)$
- g) $ER = (0^*10^*10^*)^* + 0^*$
- h) $ER = 1^*0 (1^*01^*0^*)^*$
- i) $ER = (0^*10^*10^*) + 1^*0 (1^*01^*01^*)^*$

6)

$$\begin{aligned}
 \text{a) } L((a+b)^*) &= L(a+b)^* \\
 &= (L(a) + L(b))^* \\
 &= (\{a\} \cup \{b\})^* \\
 &= \{a, b\}^* \\
 &= \{\epsilon, a, b, aa, ab, ba, bb, aaa, \dots\}
 \end{aligned}$$

$$\begin{aligned}
 L((a^*b^*)^*) &= L(a^*b^*)^* \\
 &= (L(a^*) L(b^*))^* \\
 &= (L(a)^* L(b)^*)^* \\
 &= (\{a\}^* \{b\}^*)^* \\
 &= \{\epsilon, a, aa, aaa, \dots\} \{\epsilon, b, bb, bbb, \dots\}^* \\
 &= \{\epsilon, b, a, bb, ab, aa, bbb, abb, aab, aaa, \dots\} \\
 &= \{\epsilon, a, b, aa, ab, ba, bb, aaa, \dots\}
 \end{aligned}$$

Logo, $L((a+b)^*) = L((a^*b^*)^*)$ e, portanto $(a+b)^* \equiv (b+a)^*$

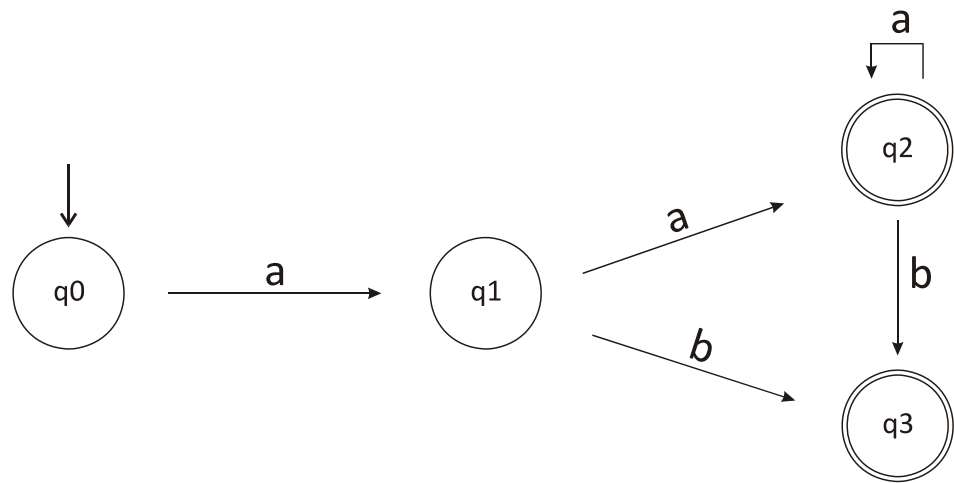
$$\begin{aligned}
 \text{b) } (a^* + b^*) &\neq (a + b)^* \\
 (a^* + b^*) &= \{\epsilon, a, aa, aaa, aaaa, \dots, b, bb, bbb, bbbb, \dots, ab, aab, abb, \dots\} \\
 (a + b)^* &= \text{Todos as palavras geradas, mais: } \{ba, bba, bbba, baaa, \dots\} \\
 \text{Portanto, } (a^* + b^*) &\neq (a + b)^*
 \end{aligned}$$

$$\begin{aligned}
 \text{c) } a^* &= \{\epsilon, a, aa, aaa, aaaa, \dots\} \\
 (ab)^* &= \{\epsilon, ab, abab, abab, \dots\} \\
 \text{Portanto, } a^* &\neq (ab)^*
 \end{aligned}$$

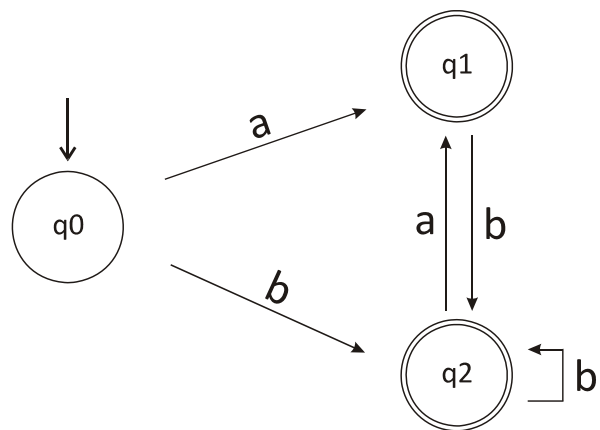
$$\begin{aligned}
 \text{d) } aa^* &\equiv a^*a \\
 aa^* &= \{a, aa, aaa, aaaa, \dots\} \\
 a^*a &= \{a, aa, aaa, aaaa, \dots\} \\
 \text{Portanto, } aa^* &\equiv a^*a
 \end{aligned}$$

7)

a)



b)



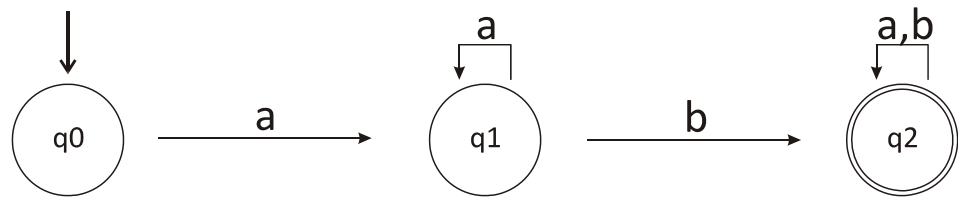
$L((ab+b)^*(a+\epsilon))$

$P = \{ \quad q_0 \rightarrow aq_1 \mid bq_2 \mid \epsilon$

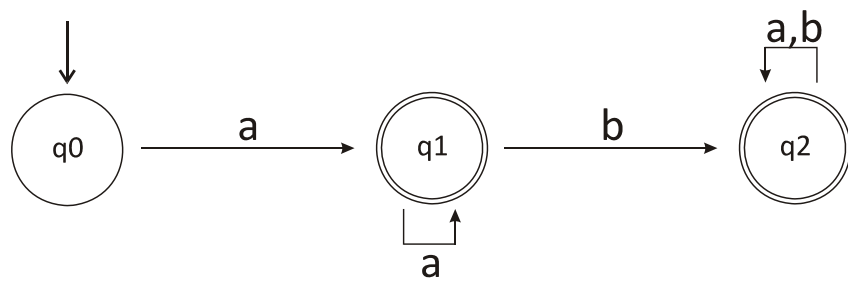
$q_1 \rightarrow bq_2 \mid \epsilon$

$q_2 \rightarrow aq_1 \mid bq_2 \mid \epsilon \}$

c)

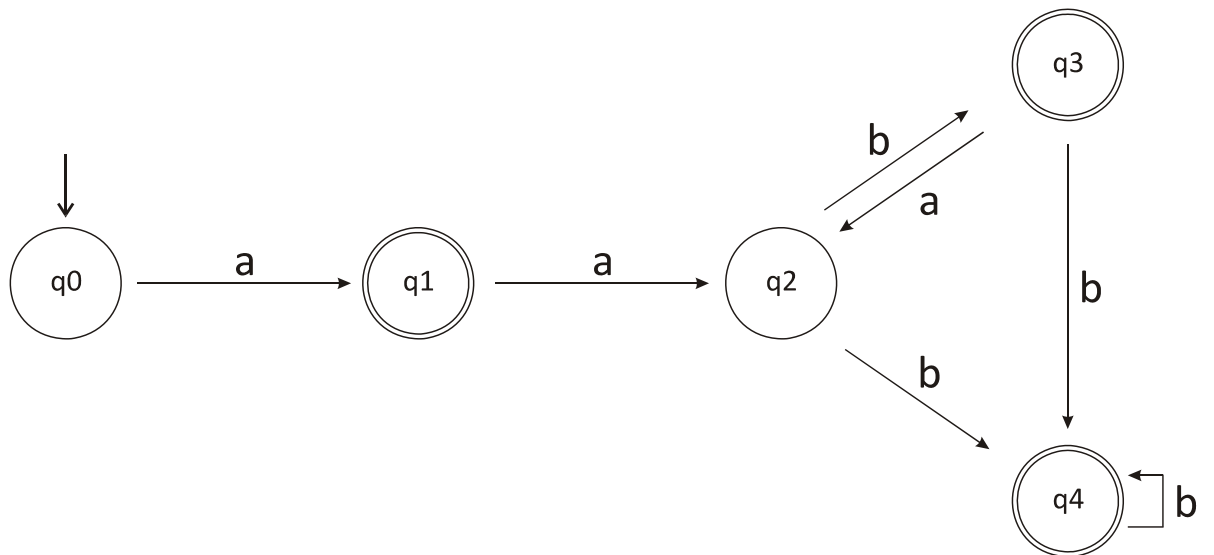


d)

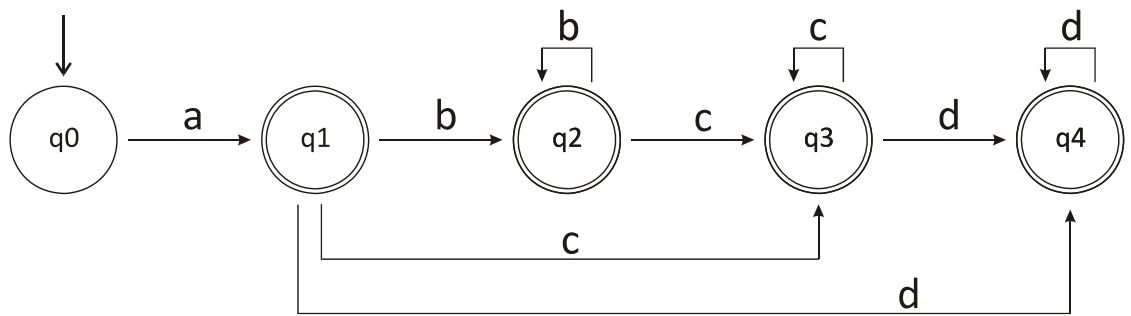


8)

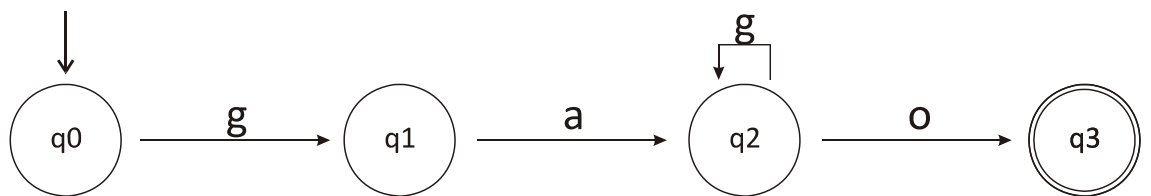
a) $L = (a + a(ab)^+ + a(ab)^+ b^+ + ab^+)$



b)



d)

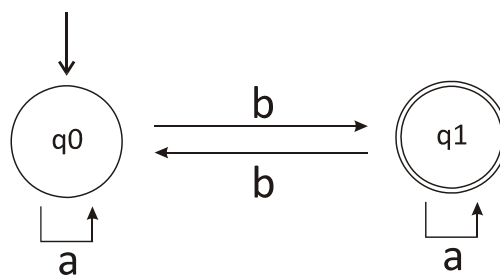


$L = (gag^*o)$

$P = \{$
 $q1 \rightarrow gq1$
 $q2 \rightarrow aq3$
 $q3 \rightarrow oq4 \mid gq3$
 $q4 \rightarrow \epsilon \}$

9)

a)



b) $P = \{$
 $q0 \rightarrow aq0;$
 $q0 \rightarrow aq0;$
 $q0 \rightarrow bq1;$
 $q1 \rightarrow bq0;$
 $q0 \rightarrow bq0 \}$
 Palavra NÃO é aceita.

c) $P = \{ q0 \rightarrow aq0;$

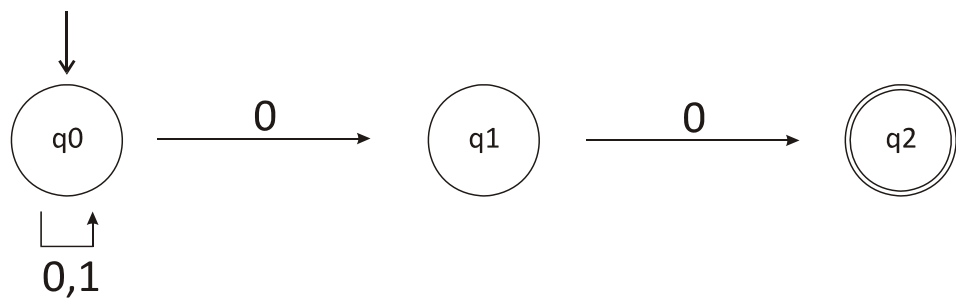
$q_0 \rightarrow aq_0$;
 $q_0 \rightarrow bq_1$;
 $q_1 \rightarrow bq_0$;
 $q_0 \rightarrow bq_0$;
 $q_0 \rightarrow aq_1$;
 $q_1 \rightarrow \epsilon$

Palavra é aceita.

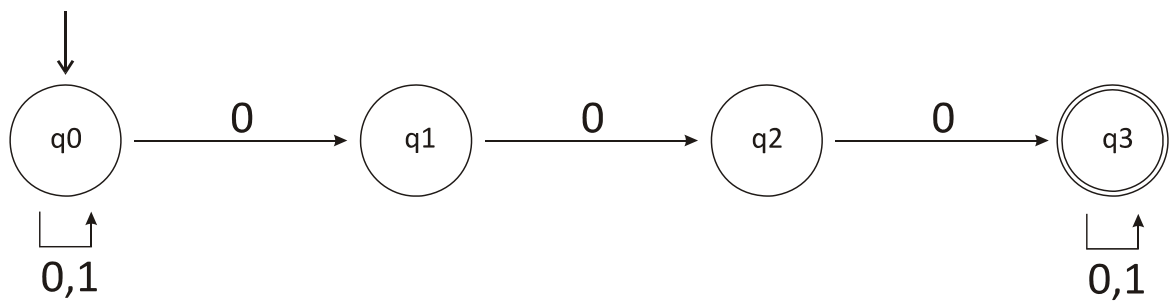
d) $a^*(b+(ba^*b))^*a^*$

10)

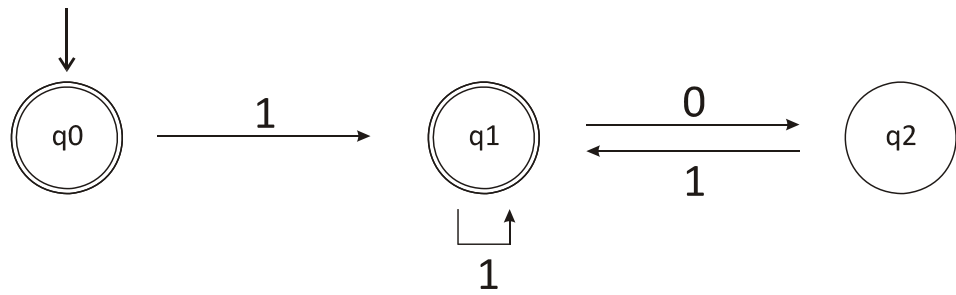
a)



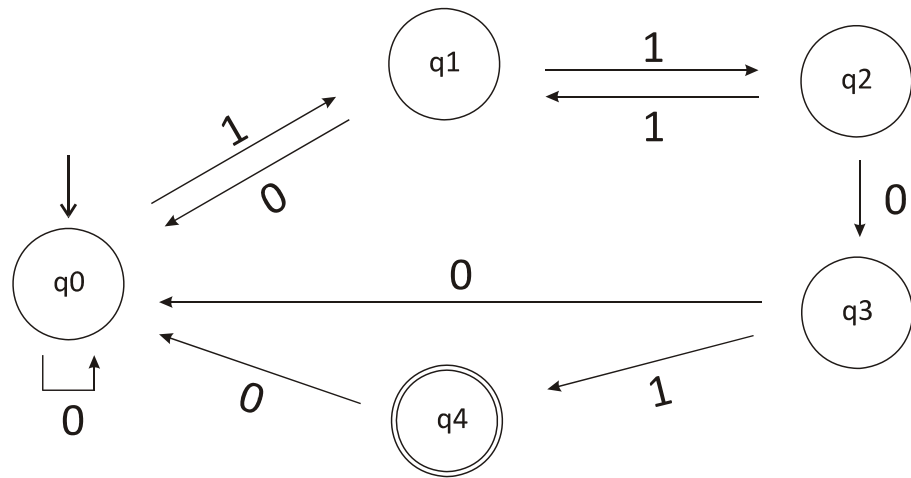
b)



c)



d)



11)

a) $a^n b^n c^n$

b)

- $a\underline{S}BC$
- $aa\underline{B}CBC$
- $aab\underline{C}BC$
- $aab\underline{B}cc$
- $aabb\underline{C}C$
- $aabb\underline{c}\underline{C}$
- $aabbcc$

12)

a) Sim.

b) $G1 = \{S \rightarrow SS, S \rightarrow 11\}$

$\underline{S}$
 $\underline{SS}$
 $\underline{SSS}$
 $11\underline{SS}$

1111S
111111

$$G_2 = \{S \rightarrow 1S1, S \rightarrow 11\}$$

S
1S1
11S11
111111

13) $G = (V, T, P, S)$

$$T = \{0, 1\}$$

$$V = \{S\}$$

$$P = \{S \rightarrow 1 \mid 0S0\}$$

14) $G = (V, T, P, S)$

$$T = \{0, 1\}$$

$$V = \{S\}$$

$$P = \{S \rightarrow 010 \mid 0S0\}$$

15) $P = \{A \rightarrow 0A, A \rightarrow B, B \rightarrow 1B, B \rightarrow 1\}$

a) Não é gerada;

b) Não é gerada;

c) Não é gerada;

$$d) \underline{A} \rightarrow 0\underline{A} \rightarrow 00\underline{A} \rightarrow 00\underline{B} \rightarrow 001\underline{B} \rightarrow 0011\underline{B} \rightarrow 00111$$

$$e) L(0^*1^+)$$

16) $P = \{S \rightarrow aS, S \rightarrow b\}$

a) Não é gerada;

b) Não é gerada;

c) Não é gerada;

$$d) \underline{S} \rightarrow a\underline{S} \rightarrow aa\underline{S} \rightarrow aaa\underline{S} \rightarrow aaab$$

$$e) \underline{S} \rightarrow a\underline{S} \rightarrow aa\underline{S} \rightarrow aaa\underline{S} \rightarrow aaaa\underline{S} \rightarrow aaaaab$$

$$f) L(a^*b)$$

17) $P = \{INT \rightarrow +DIG \mid -DIG, DIG \rightarrow 0DIG \mid 1DIG \mid \dots \mid 9DIG \mid 0 \mid 1 \mid \dots \mid 9\}$

a) Não é gerada;

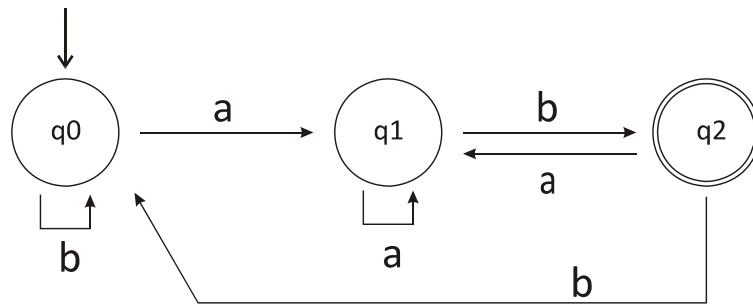
b) Não é gerada;

$$c) INT \rightarrow -DIG \rightarrow -DIG \rightarrow -10DIG \rightarrow -101$$

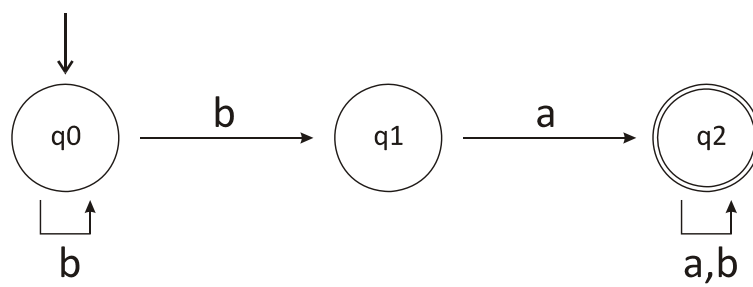
$$d) L(((+)(-)) (0+1+2+3+4+5+6+7+8+9)^+)$$

18)

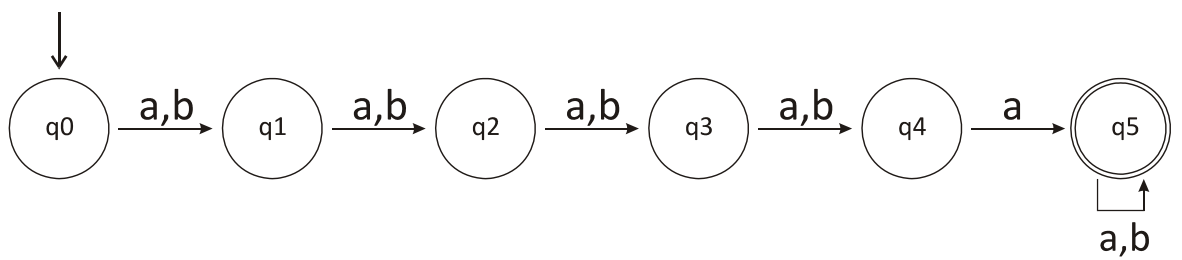
a)



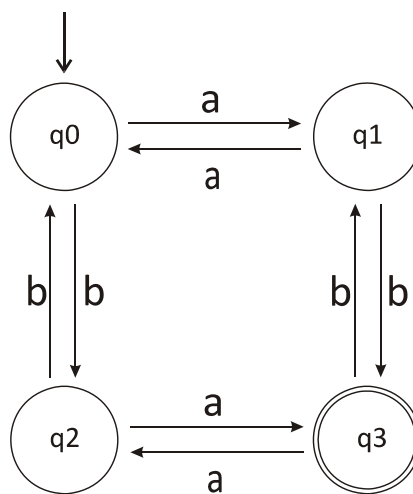
b)



c)



d)

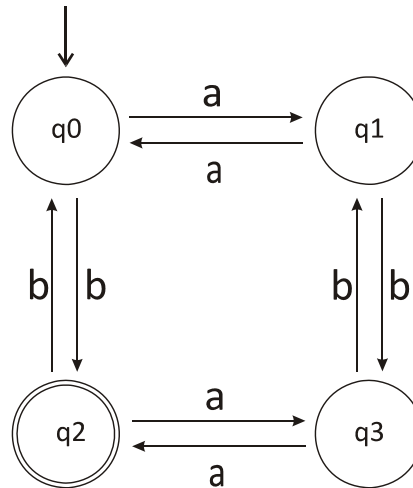


OBS: se o estado terminal estiver em:

q_0 = par de a, par de b

q_1 = ímpar de a, par de b
 q_2 = par de a, ímpar de b
 q_3 = ímpar de a, ímpar de b

19)



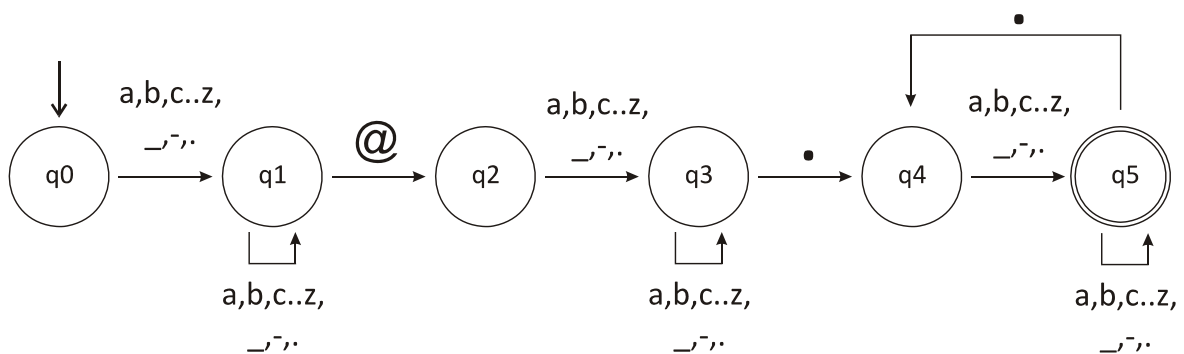
20)

- a) $L = (a+b)^* bb (a+b)^*$
- b) $L = a(a+b)^* b (a+b)^* a$

21) ???

- a) Todas as subpalavras que contenha "aaa". A palavra pode ou não iniciar e terminar com b;
- b) Todas as subpalavras que contenha ou não "aaa". A palavra pode ou não iniciar e terminar com b;
- c) Todas as palavras que...
- d) Todas as palavras que...

22)



23)

